

3. In each of the following, indicate all possible completions of the sentence that will make it into a true statement by putting a **X** in the corresponding  $\square$ s.

- a.  $\left\{\frac{1}{n}\right\}_{n=1}^{\infty} = \left\{1, \frac{1}{2}, \frac{1}{3}, \frac{1}{4}, \dots, \frac{1}{n}, \dots\right\}$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- b.  $\sum_{n=1}^{\infty} \frac{1}{2^{n-1}} = 1 + \frac{1}{2} + \frac{1}{4} + \frac{1}{8} + \dots + \frac{1}{2^{n-1}} + \dots$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- c.  $\sum_{n=1}^{\infty} 1 = 1 + 1 + 1 + 1 + \dots + 1 + \dots$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- d.  $\{(-1)^{n-1}\}_{n=1}^{\infty} = \{1, -1, 1, -1, \dots, (-1)^{n-1}, \dots\}$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- e.  $\sum_{n=1}^{\infty} (-1)^{n-1} = 1 - 1 + 1 - 1 + \dots + (-1)^{n-1} + \dots$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- f.  $\{1\}_{n=1}^{\infty} = \{1, 1, 1, 1, \dots, 1, \dots\}$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- g.  $\sum_{n=1}^{\infty} \frac{1}{n} = 1 + \frac{1}{2} + \frac{1}{3} + \frac{1}{4} + \dots + \frac{1}{n} + \dots$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- h.  $\left\{\frac{1}{2^{n-1}}\right\}_{n=1}^{\infty} = \left\{1, \frac{1}{2}, \frac{1}{4}, \frac{1}{8}, \dots, \frac{1}{2^{n-1}}, \dots\right\}$  is
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these

- i. Mark only "none of these" in this part.
- a convergent sequence                       a divergent sequence
- a convergent series                               a divergent series                       none of these